

# Effect of Error Packetization on the Quality of Streaming Video in Wireless Broadband Networks

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**Abstract**—A Markov model describing the duration of error intervals and error-free reception for streaming video transmission was developed based on the experimental data obtained as a result of streaming video from a mobile source on IEEE 802.16 standard network. The analysis of experimental results shows that the average quality of video sequences when simulating Markov model of packetization of errors are similar to those obtained when simulating single packet errors with PER index in the range of  $3 \times 10^{-3}$  to  $1 \times 10^{-2}$ . An algorithm for creating software for simulating packetization of errors was developed. In this paper we describe the algorithm, software developed based on this algorithm as well as the Markov model created for the modeling.

**Keywords**—Video streaming; Markov model; IEEE 802.16; Bit Error Rate; Burst Error Length; Packet Error Rate; Codec.

## I. INTRODUCTION

The need to create realistic simulation and mathematical models of behavior of losses in the communication channels based on the apparatus of Markov chains for wireless access systems is a scientific problem of important consequence. Markov processes with the necessary number of states sufficiently describe the mechanism of transmission of information [1], the knowledge of which is necessary to analyze network problems during packet video transmission. The parameters of the model make it possible to determine the quality of transmitted video as well as the statistical parameters of the network.

A model describing the length of error intervals and error-free reception for streaming video transmission was developed based on the experimental data obtained as a result of streaming video from a moving source on WiMAX network [2]. Based on the graph of packet loss distribution, an array was formed in which the lost packet corresponds to a logic zero (0) and received packet corresponds to a logic unit (1). The original array was split into two, one of which contains information about the lost packets and the other contains information about the received packets. The formation of arrays was carried out in accordance with the procedure shown in Figure 1.

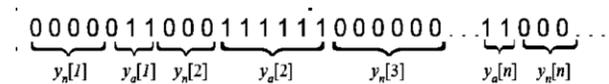


Figure 1. Formation of Arrays

## II. MARKOV MODEL DESCRIBING THE EXPERIMENTAL DATA

In accordance with the method presented in [3], the available raw data file was divided into two parts, each of which separately contains the duration of ON periods and OFF periods. Variables  $y_a[n]$  fall under the ON periods, while variables  $y_n[n]$  fall under the OFF periods. An approximation of the distribution function (DF) of real processes is obtained. Equation (1) is used for approximating the distribution function of OFF state.

$$F^*(k) = A_i \sum_{i=1}^3 e^{-\alpha_i k} \quad (1)$$

By using the method of least squares we find the unknown coefficients of the approximation for the expression (1) as presented in Table 1.

TABLE I. APPROXIMATION COEFFICIENT VALUES ( $A_i ; \alpha_i$ )

$A_1$	$\alpha_1$	$A_2$	$\alpha_2$	$A_3$	$\alpha_3$
0.612086	0.072672	0.631933	0.540023	0.073586	0.040006

Substituting the coefficient values obtained and given in Table 1 into equation (1), we obtain the approximation of the original distribution of the length of OFF periods as equation (2):

$$F^*(k) = 0.612086 \times e^{-0.072672k} + 0.631933 \times e^{-0.540023k} + 0.073586 \times e^{-0.040006k} \quad (2)$$

Equation (3) is used for approximating the distribution function of ON state.

$$F^*(k) = B_i \sum_{l=1}^6 e^{-\beta_l k} \quad (3)$$

The unknown coefficients of the approximation for the expression (3) are found using the method of least squares and presented in Table 2.

TABLE II. APPROXIMATION COEFFICIENTS ( $B_i ; \beta_i$ )

$B_1$	$\beta_1$	$B_2$	$\beta_2$	$B_3$	$\beta_3$
0.065836	0.000643	0.107716	0.000708	0.33109	0.007203
$B_4$	$\beta_4$	$B_5$	$\beta_5$	$B_6$	$\beta_6$
0.057449	0.0000618	0.007203	0.291568	0.224767	0.0094038

Substituting the coefficient values obtained and given in Table 2 into equation (3), we obtain the approximation of the original distribution of the length of ON periods as equation (4):

$$F^*(k) = 0.065836 \times e^{-0.000643k} + 0.107716 \times e^{-0.000708k} + 0.33109 \times e^{-0.007203k} + 0.057449 \times e^{-0.0000618k} + 0.007203 \times e^{-0.291568k} + 0.224767 \times e^{-0.0094038k} \quad (4)$$

The approximation of DF of ON is shown in Figure 2.

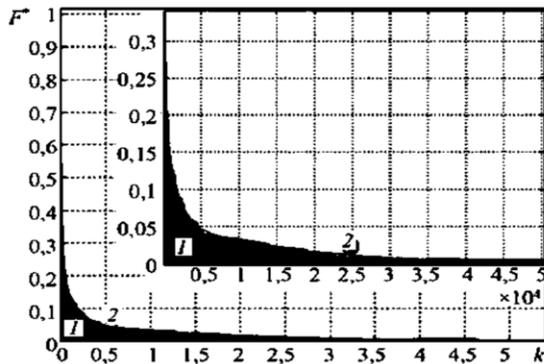


Figure 3. DF of ON approximation (2), DF of ON experiment (1). (embedded graph - reduced scale of DF of ON)

After the normalization of obtained approximating expressions (2) and (4), additional distributions of duration of ON-and OFF-processes, the matrix of transition probabilities are created, which is of the form presented in Figure 3:

	$A_1$	$A_2$	$A_3$	$B_1$	$B_2$	$B_3$
$A_1$	$e^{-\alpha_1}$	0	0	$(1-e^{-\alpha_1})B_1$	$(1-e^{-\alpha_1})B_2$	$(1-e^{-\alpha_1})B_3$
$A_2$	0	$e^{-\alpha_2}$	0	$(1-e^{-\alpha_2})B_1$	$(1-e^{-\alpha_2})B_2$	$(1-e^{-\alpha_2})B_3$
$A_3$	0	0	$e^{-\alpha_3}$	$(1-e^{-\alpha_3})B_1$	$(1-e^{-\alpha_3})B_2$	$(1-e^{-\alpha_3})B_3$
$B_1$	$(1-e^{-\beta_1})A_1$	$(1-e^{-\beta_1})A_2$	$(1-e^{-\beta_1})A_3$	$e^{-\beta_1}$	0	0
$B_2$	$(1-e^{-\beta_2})A_1$	$(1-e^{-\beta_2})A_2$	$(1-e^{-\beta_2})A_3$	0	$e^{-\beta_2}$	0
$B_3$	$(1-e^{-\beta_3})A_1$	$(1-e^{-\beta_3})A_2$	$(1-e^{-\beta_3})A_3$	0	0	$e^{-\beta_3}$

Figure 4. The matrix of transition probabilities

Substituting the values of the coefficients found in Tables 1 and 2 into the matrix of transition probabilities, we obtain the matrix of values in Figure 4.

$$\Gamma = \begin{pmatrix} 0.999 & 0 & 0 & 2.4 \cdot 10^{-5} & 8.69 \cdot 10^{-4} & 1.1 \cdot 10^{-4} \\ 0 & 0.9944 & 0 & 1.344 \cdot 10^{-4} & 0.0049 & 6.16 \cdot 10^{-4} \\ 0 & 0 & 0.965 & 8.4 \cdot 10^{-4} & 0.0304 & 0.0039 \\ 1.8 \cdot 10^{-5} & 3.6 \cdot 10^{-4} & 3.6 \cdot 10^{-4} & 0.9991 & 0 & 0 \\ 4.2 \cdot 10^{-5} & 8.4 \cdot 10^{-4} & 8.4 \cdot 10^{-4} & 0 & 0.9979 & 0 \\ 2.58 \cdot 10^{-4} & 0.0052 & 0.0052 & 0 & 0 & 0.9871 \end{pmatrix}$$

Figure 2. The matrix of values

### III. SOFTWARE FOR ERROR PACKETIZATION SIMULATION

Simulation of the transmission of streaming video traffic over a WiMAX network can be done given the probability transition matrix and vector of initial probabilities [4]. The choice of the initial state of the system was carried out using the condition that all states are equiprobable (i.e.  $p = 1/N$ , where N-number of states the system can be in after DF approximation). Description of the block diagram of the simulation algorithm is as given below, while the Markov model is shown in Figure 5.

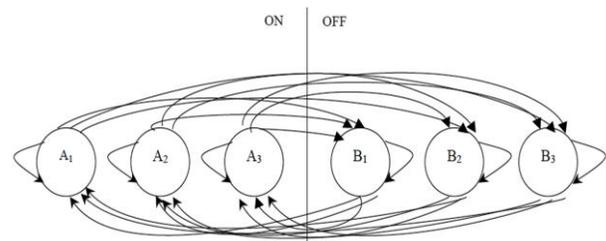


Figure 5. Markov model of error packetization algorithm

### IV. DESCRIPTION OF ERROR PACKETIZATION ALGORITHM

- STEP 1. Start program (Description of the variables, functions, procedures and modules used)
- STEP 2. Enter two-dimensional array matrix of transition probabilities. In the developed software, this matrix was given as an array of constants in the declarations section and named *markov*.
- STEP 3. Set state from which to begin modeling. Since a 9-state model was chosen, the state variable can take integer values on the interval (1 – 9). Also, at this stage of the algorithm the accumulated variables *summa\_on* and *summa\_off*, which reflect the duration of the ON periods and OFF periods, are reset to zero respectively.
- STEP 4. Begin cycle with parameter *i*. The number of iterations equals the number of transitions in the simulated system.
- STEP 5. Instantiate the built-in generator of pseudorandom uniformly distributed sequence, generating a random value in the interval (0, 1). Assign the generated value to *rnd*. At the moment of generating the variable *rnd*, the system moves to the next state. The

exact state into which it falls will be determined by the subsequent actions of the algorithm. The variable *summa* is reset to zero.

- STEP 6. Start the cycle with parameter *k*. The number of iterations in the cycle equals the number of states of the system being modeled. For this case, the number of iterations is eight (8). This loop is used to determine the state into which of the system has moved at the particular time of consideration.
- STEP 7. Check – does the value of *rnd* fall in the  $k^{th}$  state of the Markov chain. At the same time the following variables are involved: *summa* - accumulates the probability of all states up to the  $k^{th}$ ; *markov* [state, *k*] – a two-dimensional array, which contains the transition matrix. If *rnd* falls within a range of probabilities corresponding to the  $k^{th}$  state, then goto step 8, otherwise goto step 9.
- STEP 8. Check – in which state is the process currently? If in the active state, then goto step 10. If in passive state, then goto step 11.
- STEP 9. The *summa* variable is increased by the value of the probability of being in state *k*. Then proceed to the next iteration of step 6.
- STEP 10. Check – was the last state of the matrix passive? If yes, goto step 12. Otherwise, goto step 16.
- STEP 11. Check – was the last state of the matrix active? If yes, goto step 13. Otherwise, goto step 17
- STEP 12. Arrival at this step implies the end of OFF period. Therefore save or print to file *summa\_off*.
- STEP 13. Arrival at this step implies the end of ON period. Therefore save or print to file *summa\_on*.
- STEP 14. Since the OFF period as ended, reset the variable *summa\_off* to zero in preparation for the record of fresh OFF-period information, when the process will be in the passive state.
- STEP 15. Since the ON period as ended, reset the variable *summa\_on* to zero in preparation for the record of fresh ON-period information, when the process will be in the active state.

- STEP 16. Arrival at this step implies either the continuation of the previous ON period, or the start of a new ON period. So increment the variable *summa\_on* and assign the value of cycle *k* to the *state* variable.
- STEP 17. Arrival at this step implies either the continuation of the previous OFF period, or the start of a new OFF period. So increment the variable *summa\_off* and assign the value of cycle *k* to the *state* variable.
- STEP 18. At this step of the algorithm, the system just transited to the next state, so turn to the next iteration of the parameter *i*.
- STEP 19. End program.

As a result, the amount of packets falling either in the received state or the lost state in a row is accumulated ( $summa_{ON} = summa_{ON} + 1$ ).

## V. DISCUSSION

Distribution function of ON- and OFF-processes for both the simulated and experimental sequences was obtained using the described Markov model shown in Figure 6.

Experiments show that increasing the number of states of the Markov model describing the packetization of errors allows for obtaining a satisfactory correspondence between the results of the experimental data and the data obtained by simulation.

### A. Markov Model of Packetization of Errors

Two independent datasets, each containing 300,000 values were generated with the aid of the developed Markov model [5]. This amount of data allows for a qualitative comparison of RTP packets from the experiment conducted on the transmission of a 30-minute streaming video on a real WiMAX network [2] with the results of the experiment conducted using the HSC.

In the model, each value in the array is represented by the numbers 0 or 1, where 0 means error-free value, and 1 – erroneous value. Figure 7 shows the distribution of data set values, where the white areas correspond to error-free values (0), and black - erroneous values (1).

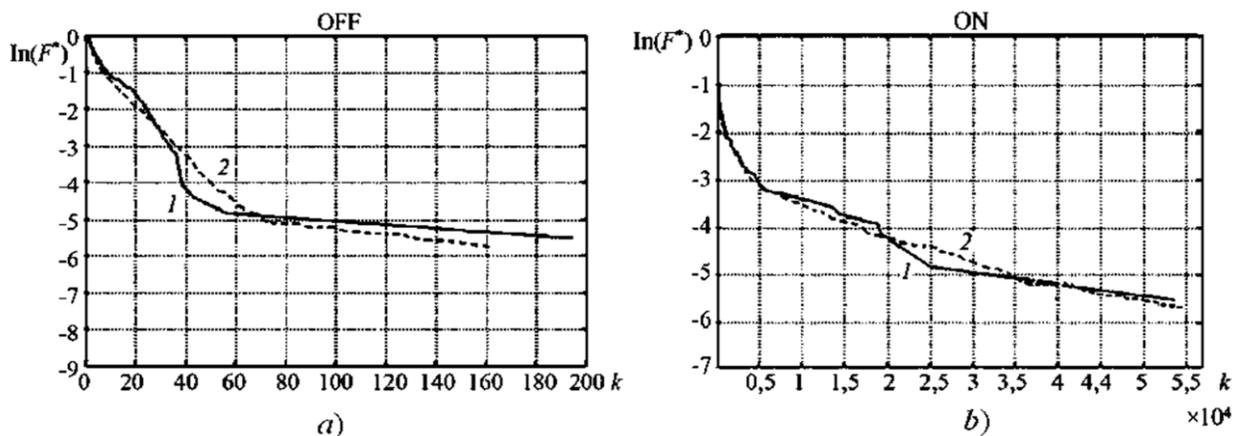


Figure 6. DF of simulated samples of the length of OFF-(a) and ON (b) - periods: curve 1 - experiment, curve 2 - simulation



Figure 7. Distribution of error-free and erroneous values for arrays №1 and №2.

The first array contains 2,743 (0.91%), and the second has 2,430 (0.81%) erroneous values. The distribution of the number of errors in the same error group is presented in the form of histograms in Figure 8.

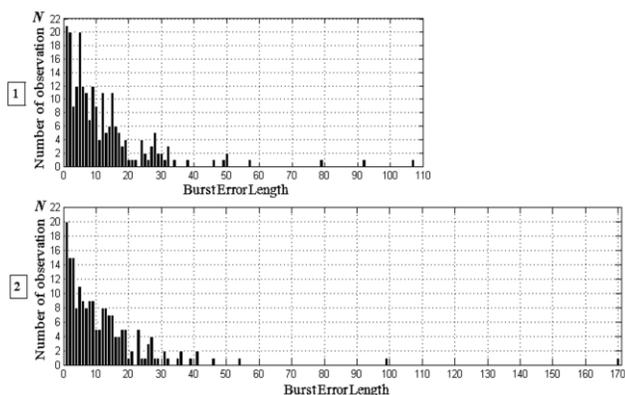


Figure 9. Distribution of errors in a group of bugs array №1 and №2.

It is shown that the distribution of errors cannot be approximated by an exponential function, a fact that validates the use of the Markov model. Furthermore, in order to study the influence of the Markov model of packetization of errors on the quality of video streaming, simulation of the transmission of a 30-minute video in the structure of the HSC was conducted. The simulation entailed the transmission and reception of traces over an "ideal" channel with unlimited bandwidth and no delay in the NS-2 environment [6]. Subsequently each packet of the receive trace was matched with a corresponding value from the dataset array (packet id = serial value of the data set array). All packets corresponding to 1 (indicating error) were deleted. This allowed for simulating sequence of errors that occur in the network and to effect corrective decoding of the video stream.

Two experiments were carried out with arrays №1 and №2 respectively. Figure 9 shows a block diagram of the

experiments. The results of experimental quality indicators obtained are shown in Figures 10 – 12.

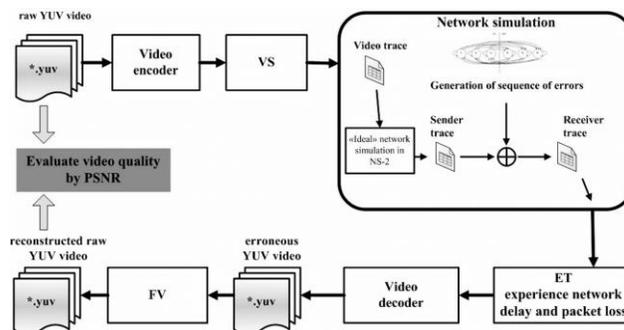


Figure 8. Block diagram of the experiments №1 and №2.

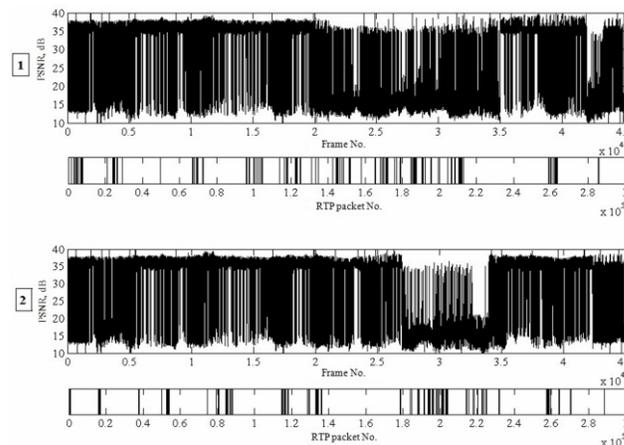


Figure 10. The change the PSNR indicator from experiments №1 and

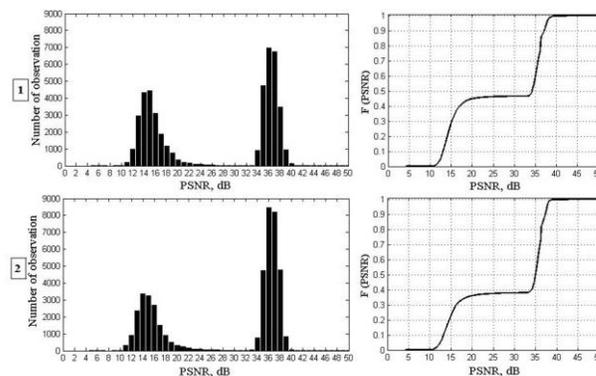


Figure 11. Histogram and distribution function of the PSNR indicator in experiments №1 and №2

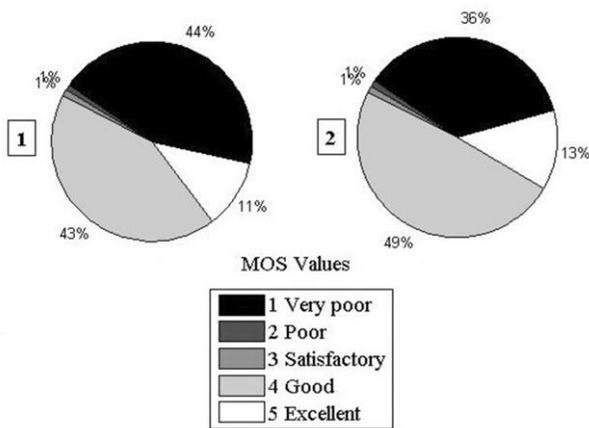


Figure 12. MOS Quality value for video broadcast in №1 and №2

## VI. CONCLUSION

Analysis of the quality of received video sequence when simulating Markov model of error packetization shows that the average quality of video sequences is slightly worse than during transmission over a real network. For example, in an experiment on streaming video over a real WiMAX network, the average quality of 31 dB was obtained, and for the simulations 26 dB and 28 dB respectively. The subjective MOS quality indicator also shows a difference in values: a real WiMAX network returned a mean value of 3.59 (corresponding to satisfactory), while the experiments returned values of 2.72 (corresponding to poor) and 3.01 (corresponding to satisfactory), respectively. This suggests that the Markov model of packetization of error obtained from a real network for streaming video can be used in the simulation of transmission of video across networks in the hardware-software complex developed by the authors in a previous work [7].

The average quality of video sequences obtained from simulations of the Markov model are similar to those obtained when simulating single packet errors with PER index in the range of  $3 \times 10^{-3}$  to  $1 \times 10^{-2}$ . While the length of error group depending on the PER of the specified range can attain values of  $BEL \leq 10$ .

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